

Model-based Synthesis of Reactive Planning On-line Testers

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Overview

- Scope and main idea of the work
- Workflow of testing
- Off-line preparation algorithm and example
- On-line testing algorithm and example
- Implementation and complexity issues
- Conclusions

Scope of the work

- Black box model based testing
 - tests are generated from the model
- Model is non-deterministic
 - output observability assumed
- Several test goals are tackled at the same time
 - minimizing the amount and length of the tests



Testing non-deterministic models

On-line testing is needed

- Test cases cannot be prepared beforehand
- Tester must decide inputs during the test based on observed outputs and active goals
- Test planning is costly and not feasible on-line

Proposed solution

- Model is analysed off-line
- Result is expressed as a set of data constraints for each test goal
- Data instance generation is done on-line

Model of SUT

- Model is given as EFSM
 - input/output, guard, update



- input parameter t [temp] and variable d [delay]
- Requirements
 - fridge must switch off when t is 4..5
 - fridge must switch on when t is 6..7 and it has been off 20..39 seconds (tick every 10 seconds)



Modeling of test goals

- Test goals are expressed by traps
 - trap is a pair <transition,predicate>
 - expressed as update of trap variable in model
- Can express
 - transition coverage
 - transition sequence
 - repeated pass using auxiliary variable





Workflow



Off-line constraint generation

Constraints for a trap (trap1 on example) generated by breath-first backwards constraint propagation algorithm:

- Constraints C|L give the condition and length for the shortest path
- Constraints C^{*}|L^{*} give the condition and length for all paths up to fixpoint (or search depth)
- Constraints C^g give the condition for choosing the next transition depending on the values of variables



Offline algorithm for trap tr

initialise C to *false*, L to 0 $C_{t}^{*} = guard_{t} \wedge condition_{tr}$ while fixpoint or search *depth* is reached for each state *s* on the depth level do $C_{s}^{*} = \operatorname{simplify}(C_{s}^{*} \lor \exists I : \textcircled{O}_{t}^{*}) // ti - t \text{ leaving from } s; I - input$ if SAT($\neg (C^* \Rightarrow C^{*'}))$ // C^*_{s} changed $L^*_{s} = depth$ if not C_{s} // minimal constraint $C_{s} = C^{*}_{s}; L_{s} = L^{*}_{s}$ for each transition t coming to s $C_{t}^{*} = \text{simplify}(C_{t}^{*} \vee guard_{t} \wedge wp(update_{t}, C_{s}^{*}))$ record L_{s}^{*} , C_{t} , L_{s} if needed $C^{g}_{t} = \operatorname{simplify}(C^{g'}_{t} \vee (\exists I: C^{*}_{t} \wedge \neg C^{*}_{source(t)}))$

Example (on-line)

- 1. tick(true): off, d=0
- 2. tick(true): off, d=1
- 3. tick(true): off, d=2
- 4. tick(t < 6): off, d=3
- 5. tick($t \ge 6$):
- 6. tick(t > 7):
- 7. tick(t > 5):
- 8. tick(t < 4):

- on, d=3 trap1©
- off, d=4on, d=4on, d=4 trap2 \odot off, d=0 \Rightarrow



On-line algorithm (greedy)

//at state *s* while exist uncovered traps // using SAT() select nearest reachable trap tr select transition with C^{g}_{t} satisfiable // using SAT() select input parameters valuation by solving C_{t} or C_{t}^{*} // constraint solving communicate the inputs to SUT if the output does not conform to the model // using SAT() stop(test_failed) move to the next state end while stop(test_passed)

Implementation issues

UPPAAL used for modelling (Uppsala & Aalborg U)

- Z3 SMT solver suite (Microsoft Research)
 - simplification of constraints
 - quantifier elimination
 - SAT solver
 - constraint solving (model generation)
- Python scripts for parsing and constraining generation algorithm implementation
- TestCast TTCN3 toolset (Elvior)
 - running generated TTCN3 scripts

Complexity issues

- Constraints limited to decidable theories
 - Inear arithmetic (+ others supported by solver)
- Theoretical limits
 - SAT problem is NP-complete
 - decision procedures and simplification of Presburger arithmetic is double-exponential
- Practical aspects
 - number of constraints is in O(traps*transitions)
 - Z3 does a good job in SAT and simplification
- Search depth
 - complexity of the constraints depends on the structure of the model and search depth
 - search depth can be constrained off-line when the time for the SAT check needed on-line exceeds the predefined limit

Constrained search



Main results

- Tester for non-deterministic EFSM
- Efficient on-line test planning
 - supported by off-line preparation
- Off-line computation is usable also for off-line test cases generation for deterministic models
- On-line planning drives the test towards uncovered test goals resulting a test with suboptimal length
- Future plans:
 - modelling SUT and test scenarios (goals) using hierarchical automata
 - Improvement of simplification



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