Gábor Czédli proved that the blocks of any compatible tolerance $T$ of a lattice $L$ can be ordered in such a way that they form a lattice $L/T$ called the factor lattice of $L$ modulo $T$. Here we show that the Dedekind-MacNeille completion of the lattice $L/T$ is isomorphic to the concept lattice of the context $(L, L, R)$, where $R$ stands for the reflexive weak ordered relation $T \circ \leq$. Weak ordered relations constitute the generalization of the ordered relations introduced by S. Valentini. Reflexive weak ordered relations can be characterized as compatible reflexive relations $R \subseteq L^2$ satisfying $R = R \circ \leq$. 